

Drift correction for electrophysiology and two-photon calcium imaging

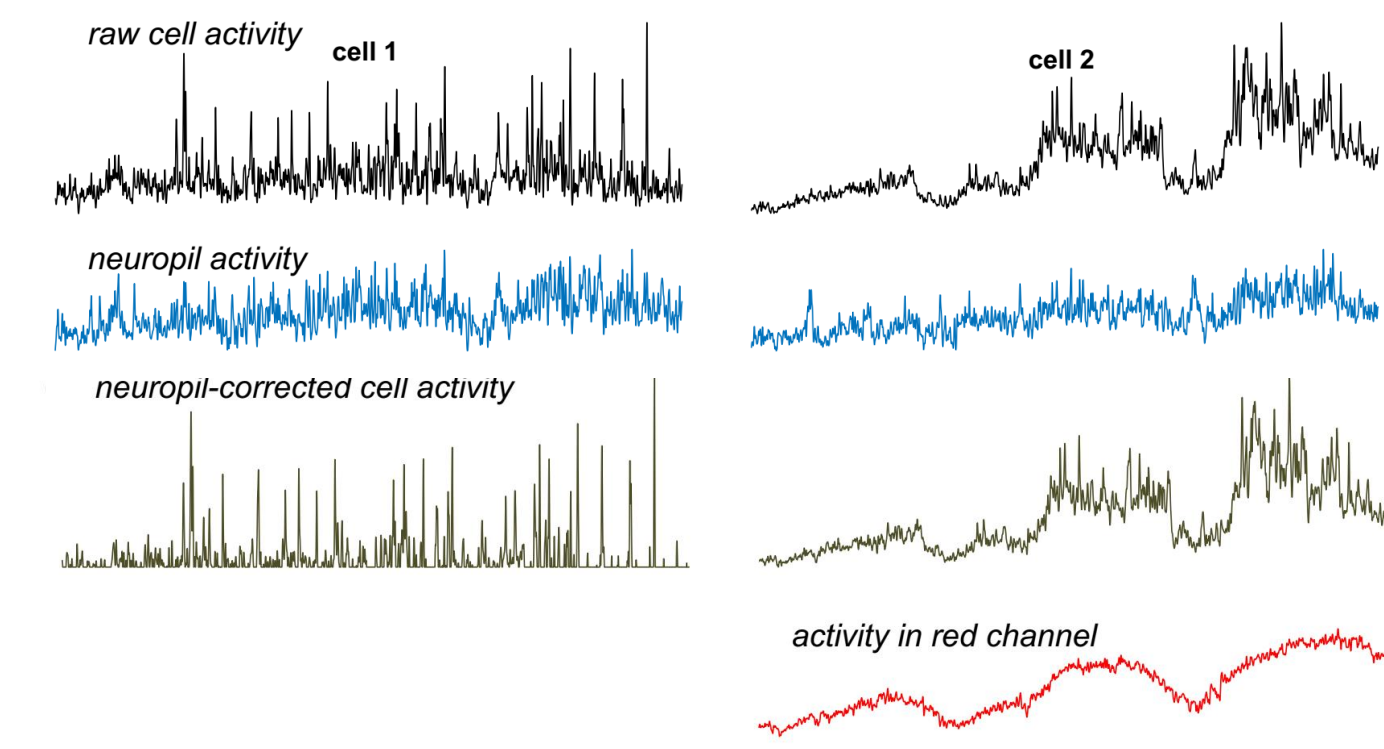
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Problem: Drift is bad for science.
Can we understand drift, and fix it?

Understanding “drift”

Slow drift
can be non-rigid

Fast drift is
mostly rigid (phew!)



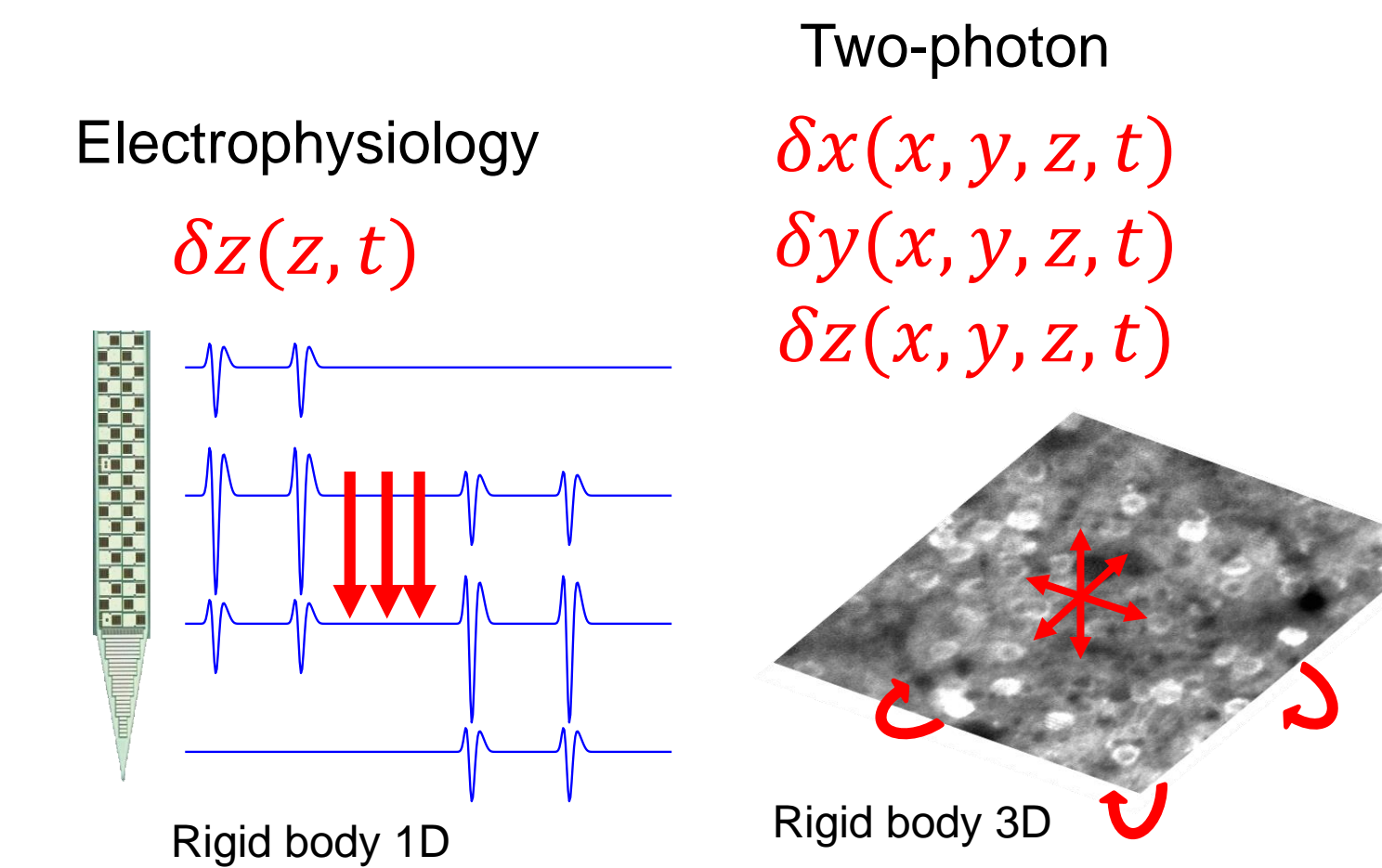
Electrophysiology	Two-photon
Tissue relaxation after probe insertion, hemodynamics etc.	Temperature changes, hemodynamics, inflammation etc.
Behaviorally induced Up and down jitter, bigger than in 2p	Behaviorally induced Mostly translation, but also rotational

Engineering a fix for drift:

We design **generative models** that capture the effect of drift on the raw recorded data.

We use these models to **infer the drift**, given the data.

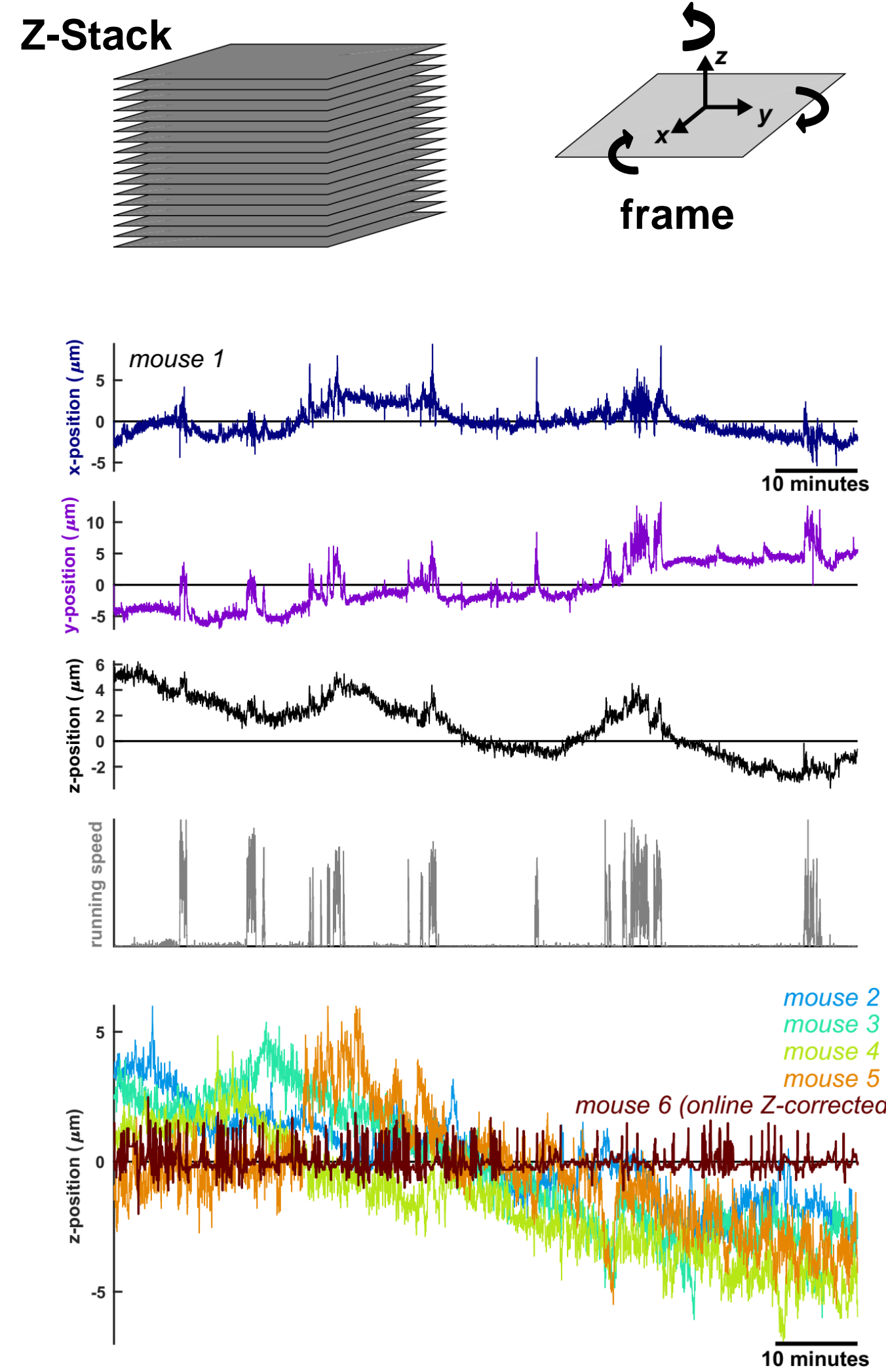
Enforcing **rigidity on fast timescales** allows us to estimate drift from noisy data.



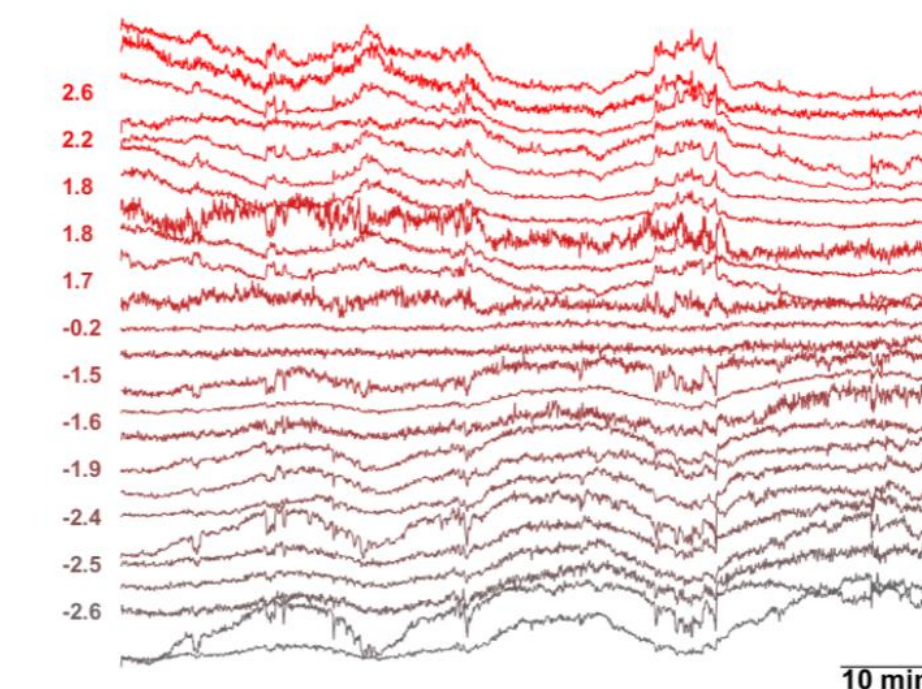
To do list:

- once we know the drift, can we devise fast & accurate **interpolation** methods to re-align data? *we think so*
- is the **sampling** of Neuropixels dense enough? *probably*
- do you need to align 2p imaging data **online**? *yes & we have code*

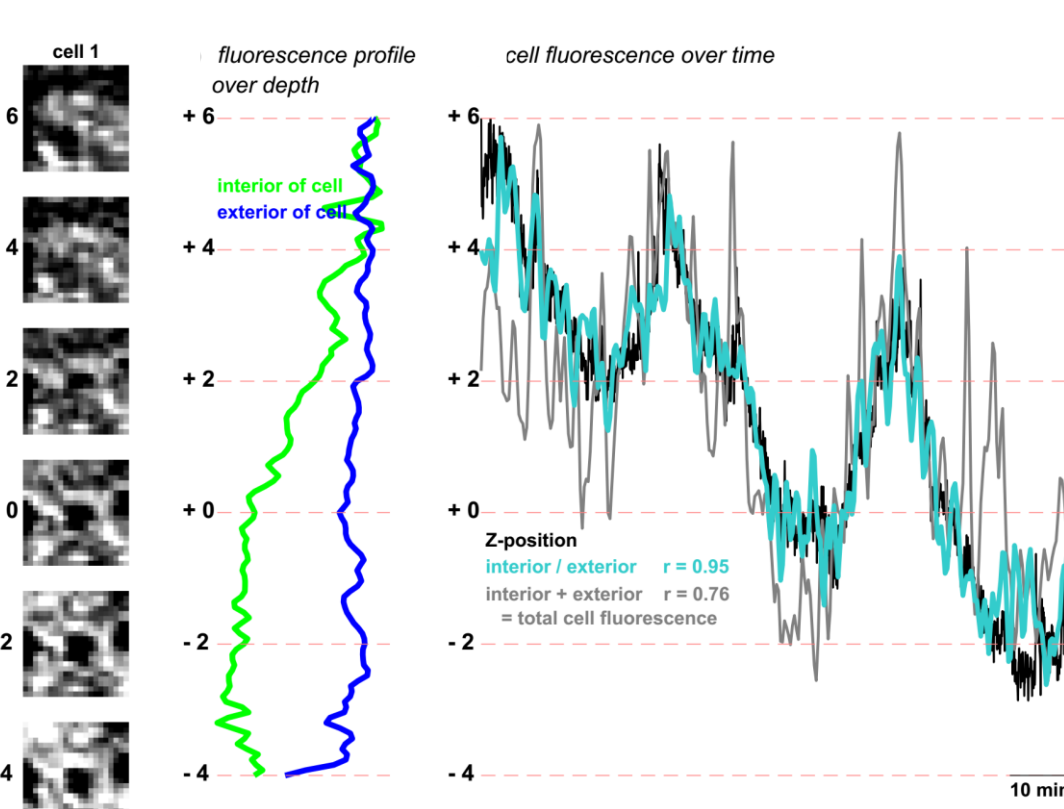
Signatures of drift in 2p imaging



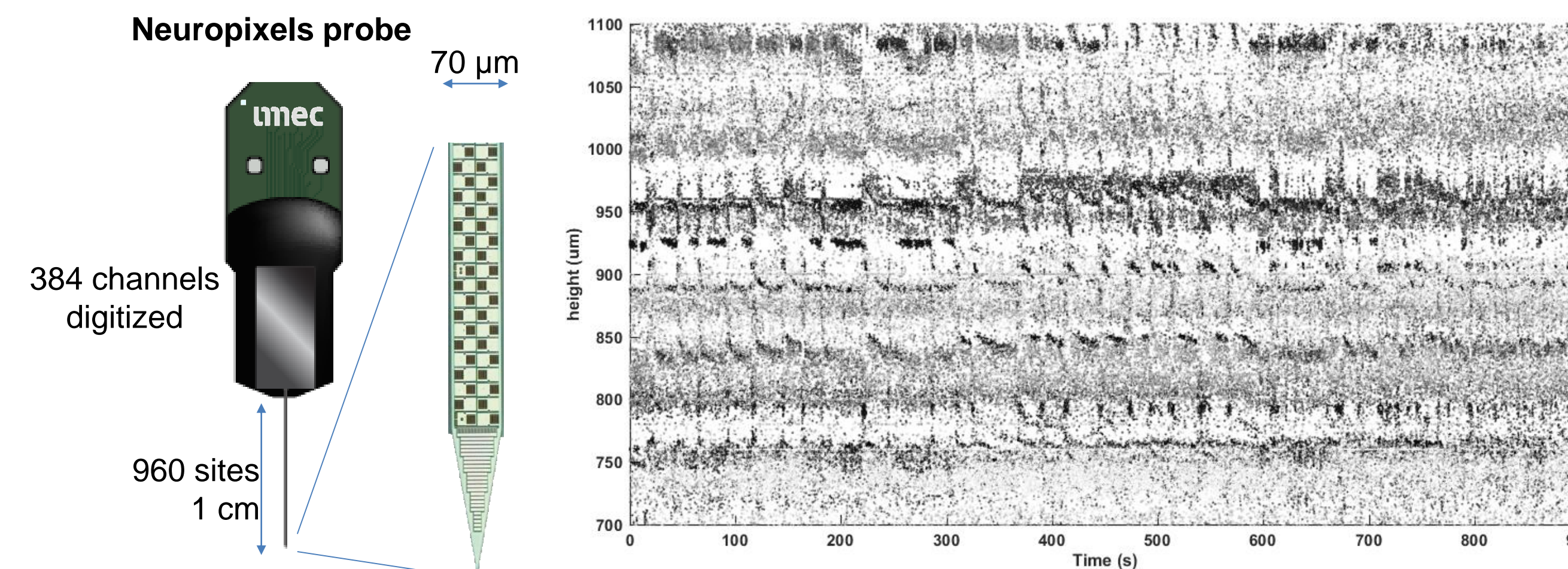
Population statistics of drift



Inferring drift from single plane imaging



Signatures of drift in electrophysiology



Jun, Steinmetz et al, *Nature* 2017

Each dot is a spike.
Darker dots are larger amplitudes.

Estimation of drift through generative models

Generative model for spike sorting: *Kilosort*

$$V(z, t) = \sum_k A_{\sigma(k)}(z, t - t_k) \cdot x(k) + noise$$

recorded voltage → electrode / depth → cluster assignment → spike template → amplitude

Waveform model:

$$A_j = U_j * V_j^T$$

Drift in the spatial mask:

$$U_{\sigma(k)}^t(z, 1:3) = U_{\sigma(k)}(z - \Delta z(z, t), 1:3)$$

Δz changes slowly over space and time:

$$\text{minimize } \|d_z(z_1, t_1) - d_z(z_2, t_2)\|^2, \text{ where } t_1 \approx t_2, z_1 \approx z_2$$

Two-photon generative model: *rigid 3D translation*

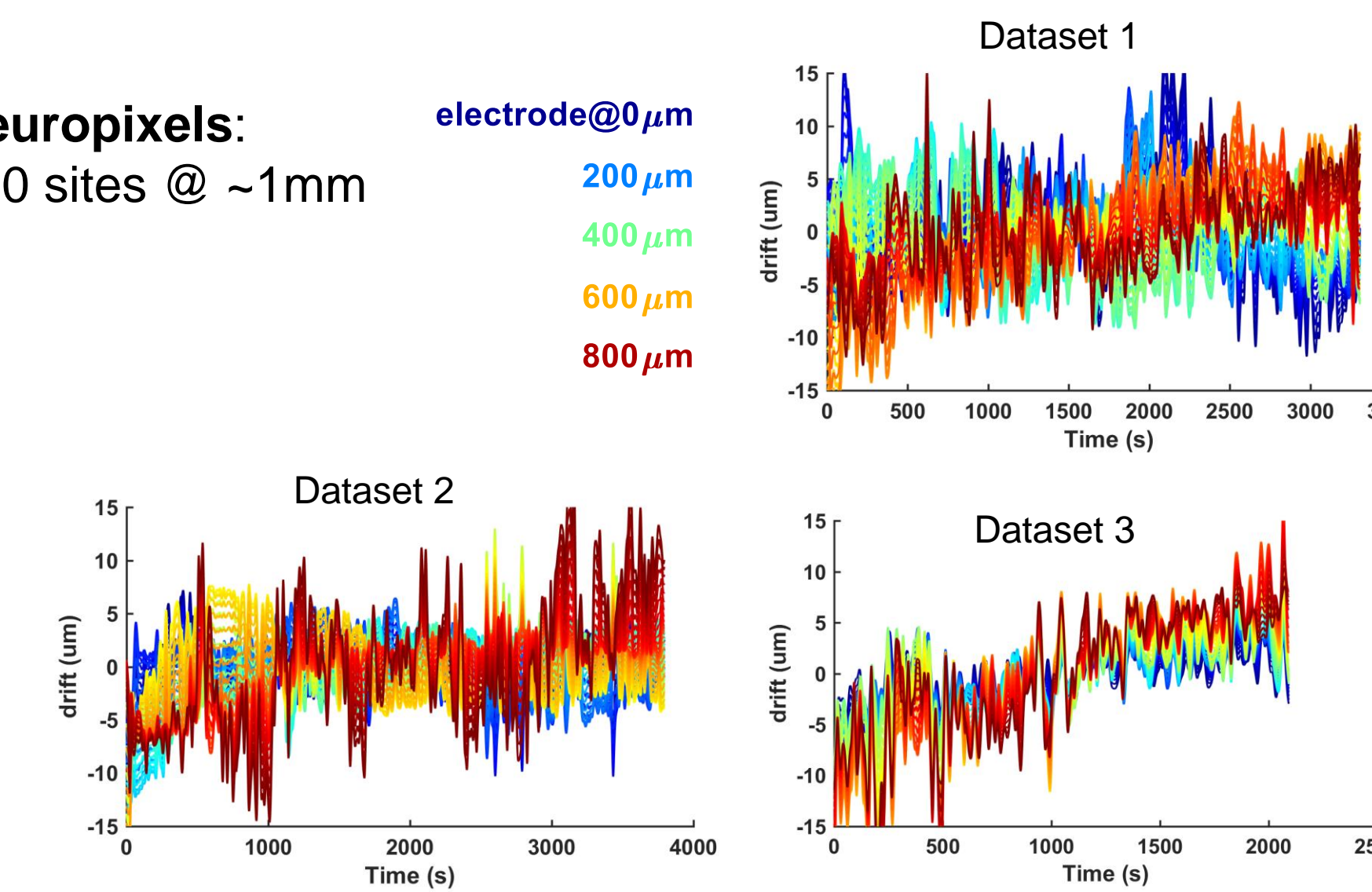
recorded frame → pre-recorded Z-stack → **unknowns** → $Image(x, y, t) = Z(x + \Delta x(t), y + \Delta y(t), \Delta z(t)) + noise$

- we ignore activity dependence
- we additionally whiten and low-pass the frames and z-stack

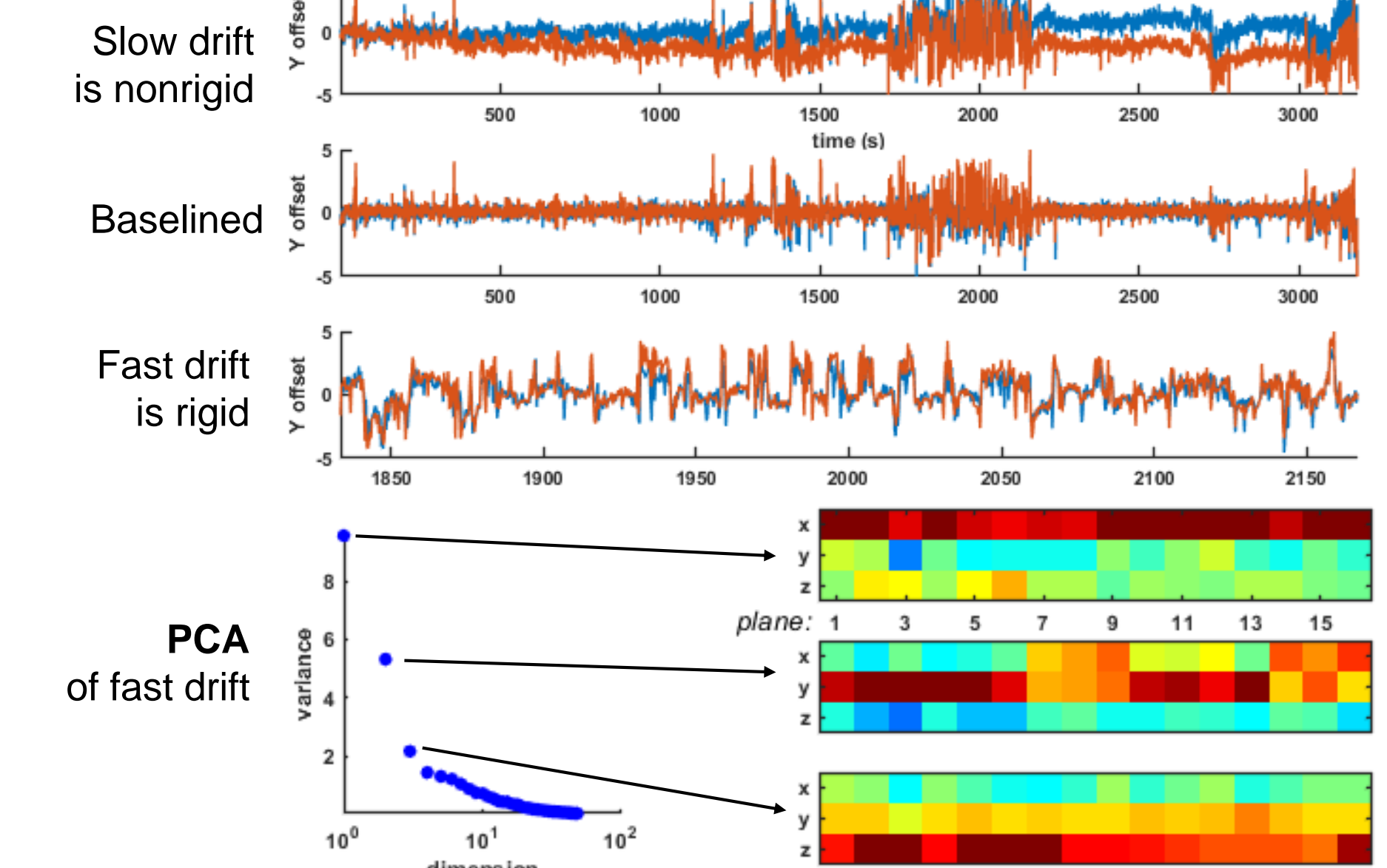
Spatiotemporal statistics of drift

Neuropixels:
120 sites @ ~1mm

electrode@0 μm
200 μm
400 μm
600 μm
800 μm

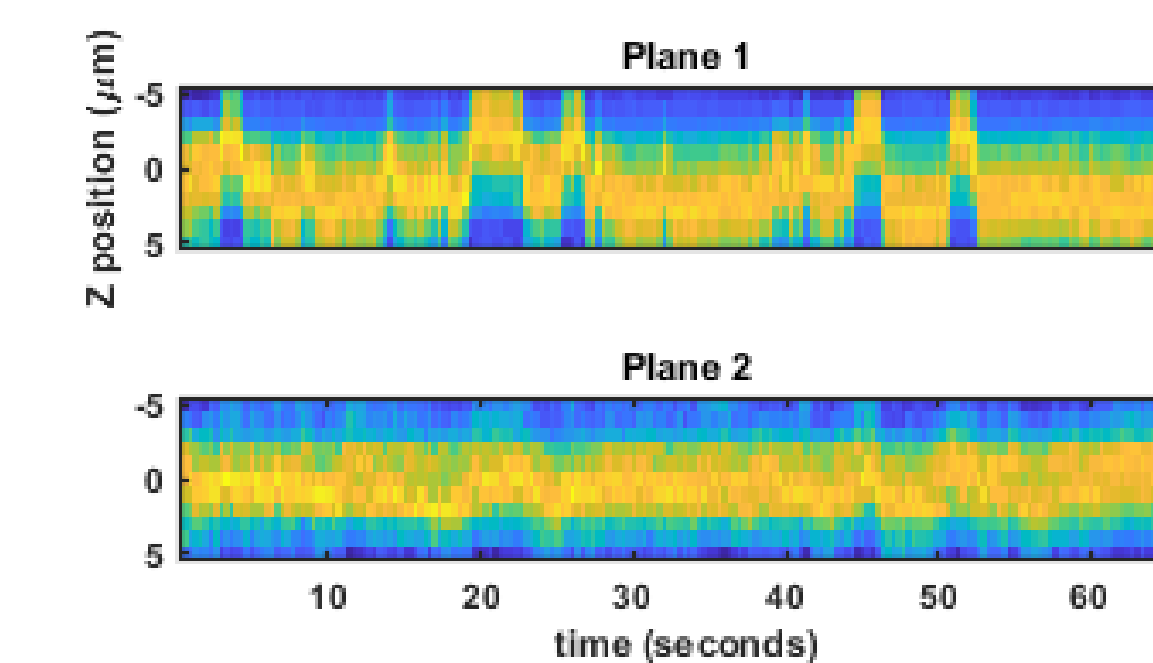


Two-photon mesoscope



Rigid, rotational motion is well-approximated by a linear model

Rotational motion exists:



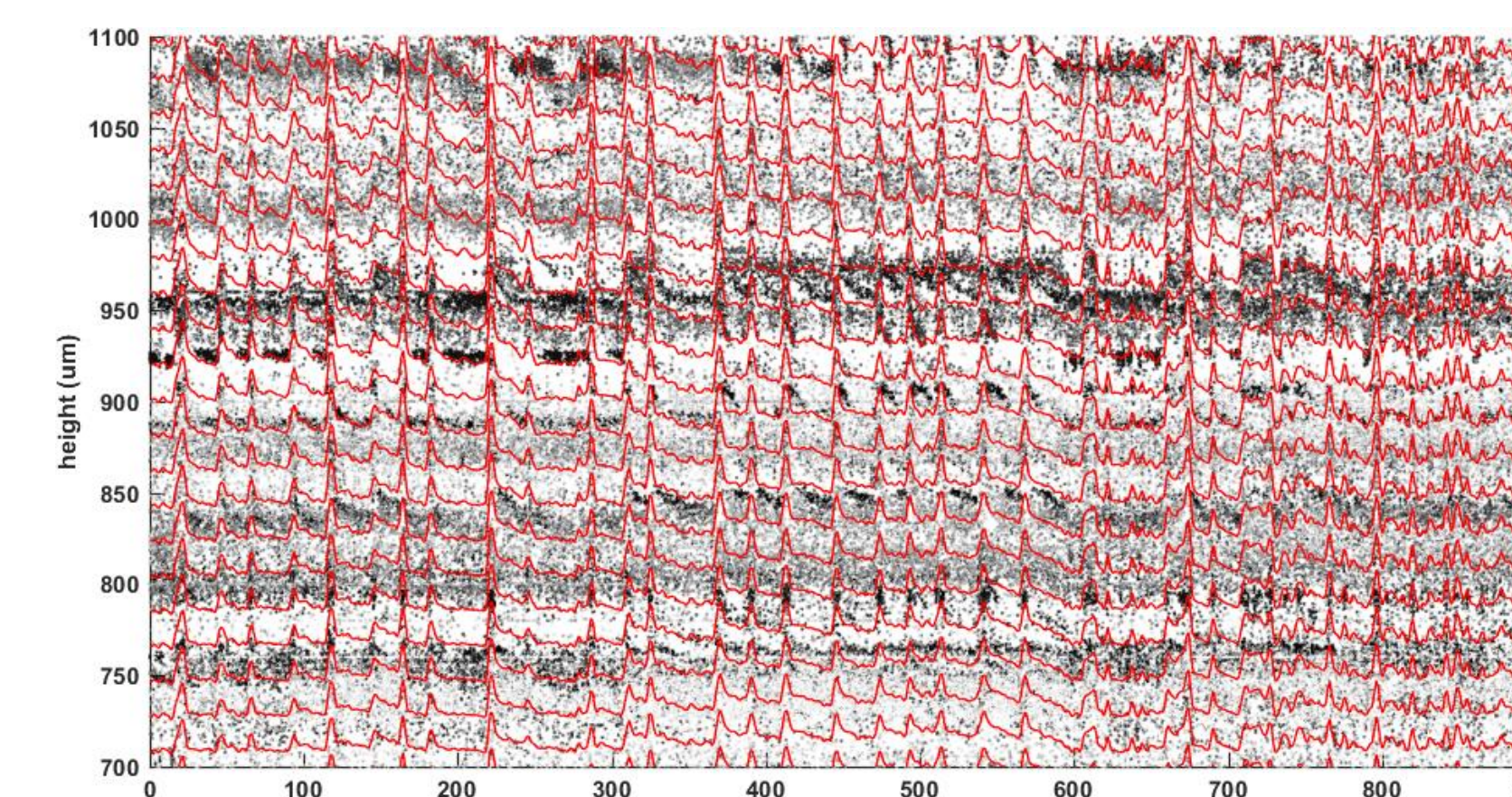
$$I(x, y, z, t) = Z(x', y', z')$$
$$x' = x + \Delta x + \delta x \rightarrow \begin{bmatrix} \delta x \\ \delta y \\ \delta z \end{bmatrix} = R \begin{bmatrix} x \\ y \\ z \end{bmatrix}, R \approx \begin{bmatrix} 1 & \alpha & \beta \\ -\alpha & 1 & \gamma \\ -\beta & -\gamma & 1 \end{bmatrix}$$

translation → effect of rotation

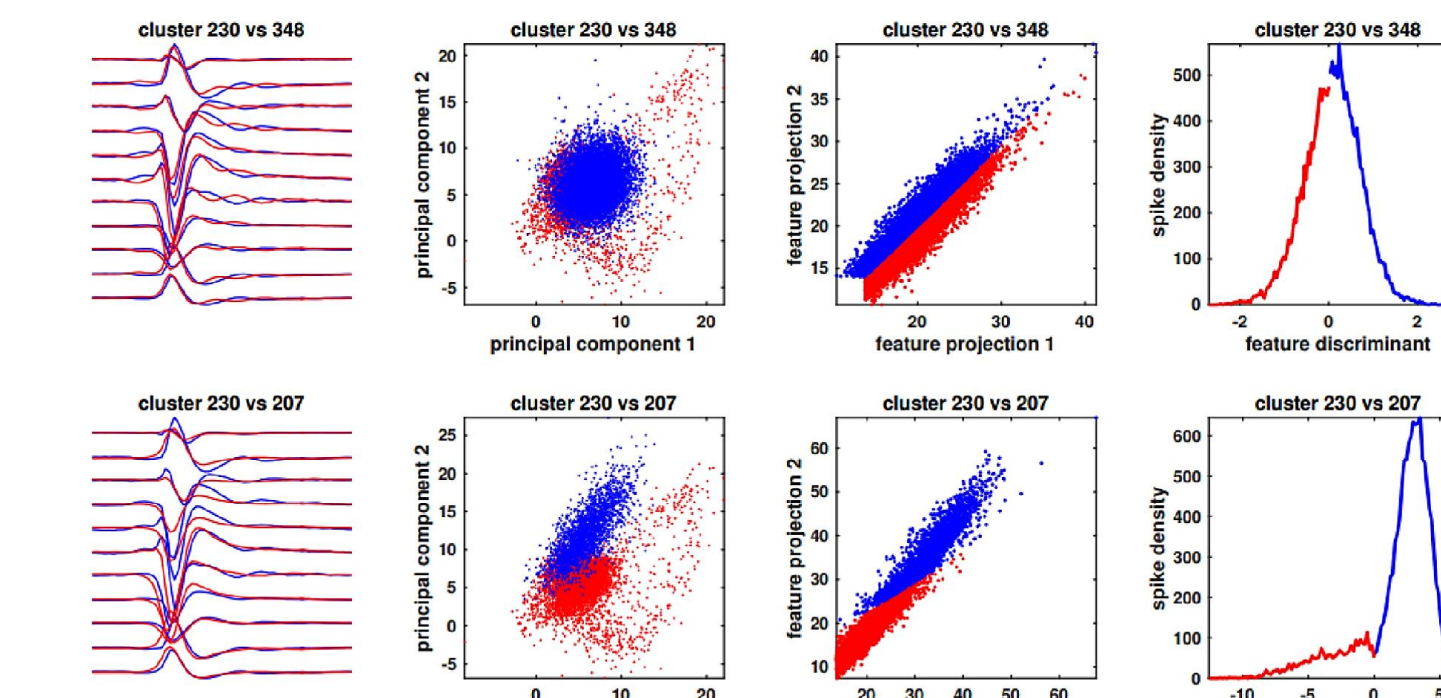
Linear approximation follows from:

$$R = R_\alpha R_\beta R_\gamma, R_\alpha = \begin{bmatrix} \cos(\alpha) & \sin(\alpha) & 0 \\ -\sin(\alpha) & \cos(\alpha) & 0 \\ 0 & 0 & 1 \end{bmatrix} \approx \begin{bmatrix} 1 & \alpha & 0 \\ -\alpha & 1 & 0 \\ 0 & 0 & 1 \end{bmatrix}$$

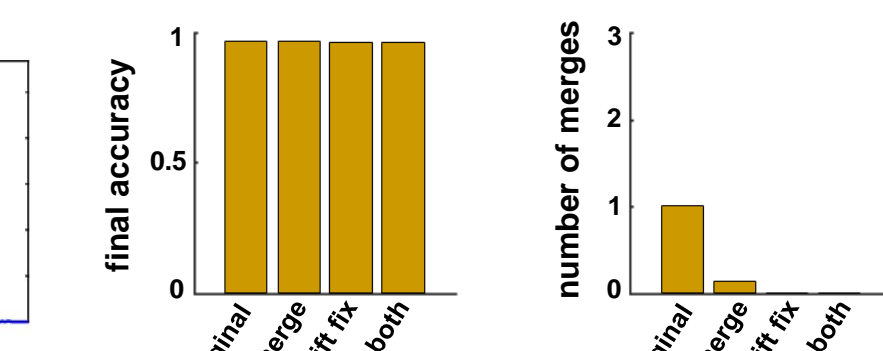
Drift correction helps with spike sorting



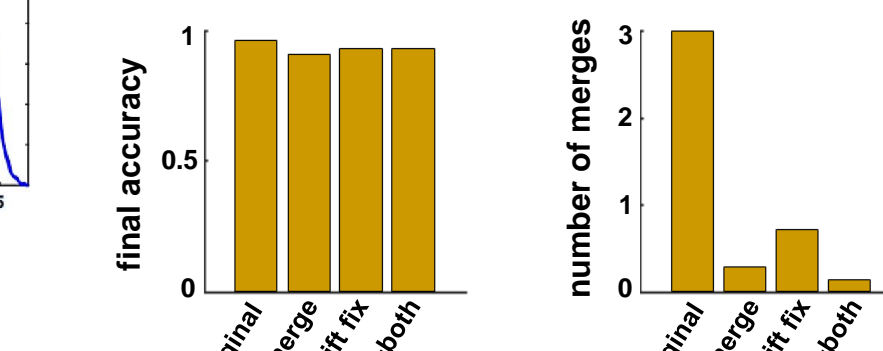
Automatic merges after drift correction



Benchmarks: dataset 1



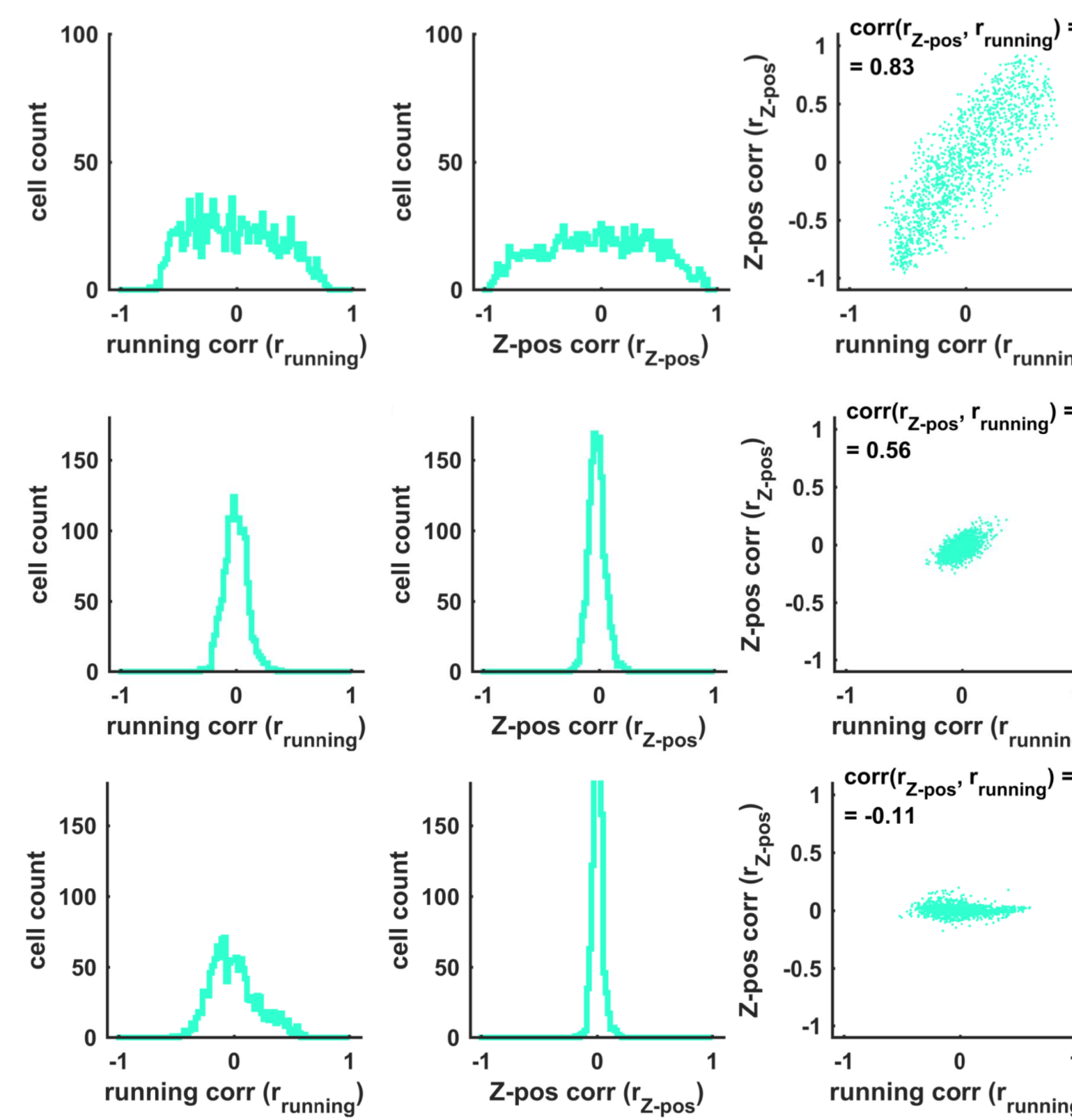
Benchmarks: dataset 2



Acknowledgments

Michael Krumin, Charu Reddy, Michalis Michaelos, Salvatore DiLisio

Cells' correlation with running might be explained by their correlation with z position



Running baseline-subtraction aggressively removes correlations

Correction based on Z-position is more effective